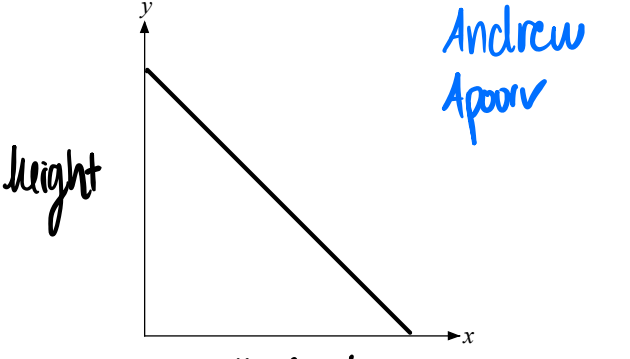
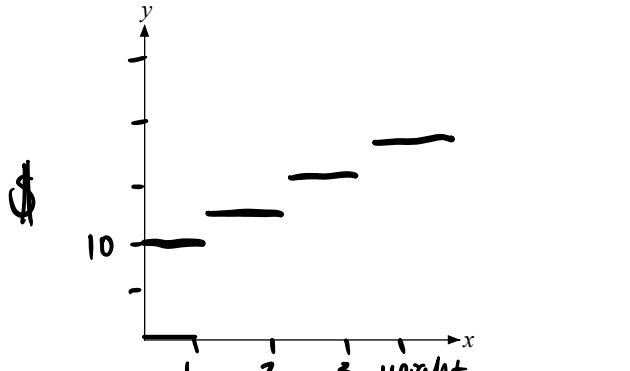
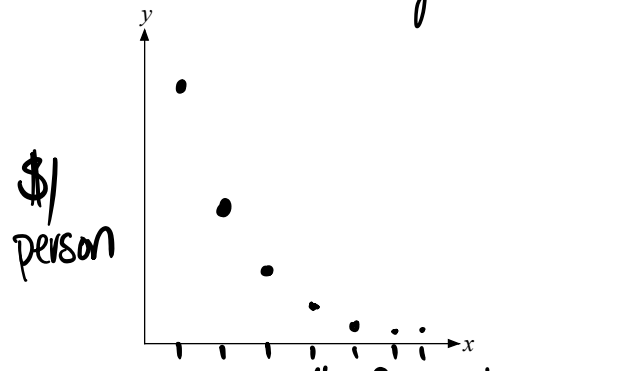
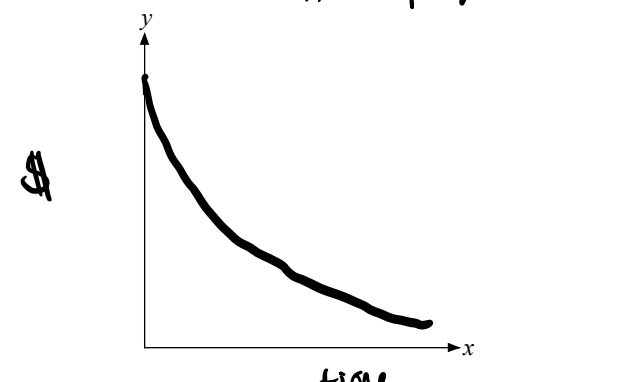


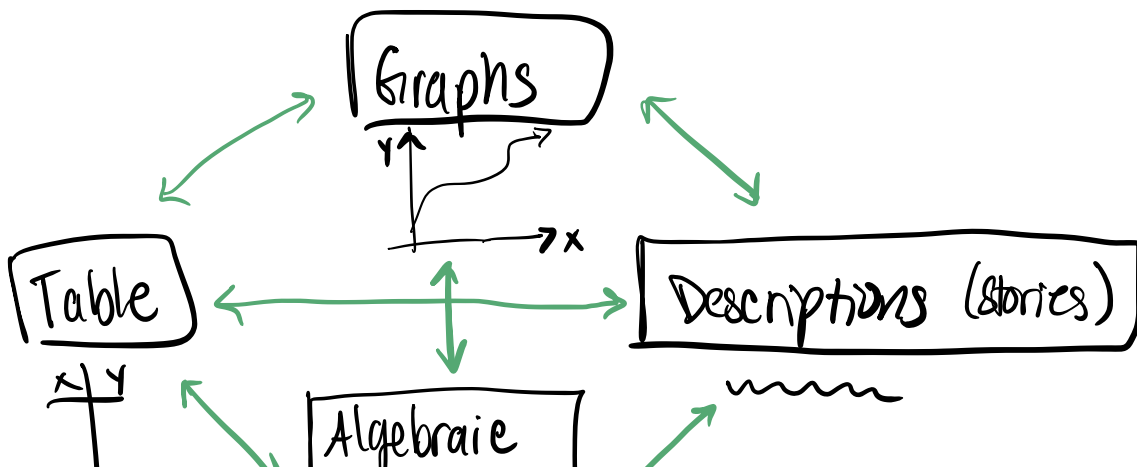
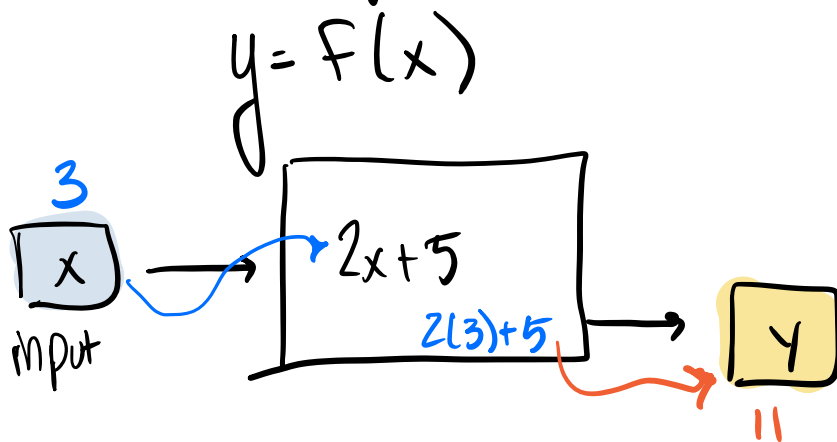
# Four Situations

1. Sketch a graph to model each of the following situations. Think about the shape of the graph and whether it should be a continuous line or not.

<p><b>A: Candle</b></p> <p>Each hour a candle burns down the same amount.</p> <p><math>x</math> = the number of hours that have elapsed.</p> <p><math>y</math> = the height of the candle in inches.</p> <p style="text-align: center; color: red;">continuous</p>	
<p><b>B: Letter</b></p> <p>When sending a letter, you pay quite a lot for letters weighing up to an ounce. You then pay a smaller, fixed amount for each additional ounce (or part of an ounce.)</p> <p><math>x</math> = the weight of the letter in ounces.</p> <p><math>y</math> = the cost of sending the letter in cents.</p> <p style="text-align: center; color: red;">discrete</p>	
<p><b>C: Bus</b></p> <p>A group of people rent a bus for a day. The total cost of the bus is shared equally among the passengers.</p> <p style="text-align: right; color: blue;">\$100</p> <p><math>x</math> = the number of passengers.</p> <p><math>y</math> = the cost for each passenger in dollars.</p> <p><math>y = \frac{100}{x}</math></p> <p style="text-align: center; color: red;">discrete</p>	
<p><b>D: Car value</b></p> <p>My car loses about half of its value each year.</p> <p><math>x</math> = the time that has elapsed in years.</p> <p><math>y</math> = the value of my car in dollars.</p> <p><math>y = 1000(0.5)^x</math></p> <p style="text-align: center; color: red;">continuous</p>	

- Function**
- coordinates (7, 5)
  - changes
  - takes  $x \rightarrow y$
  - relationship btw variables
  - maybe graph
  - graph
  - instructions for repeated task
  - input + function = output
  - Connection between coordinates.
  - independent + dependent variable

**D.** A function is a relation where every input has one output.



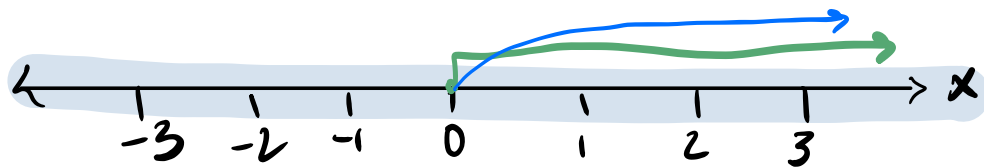
1

↖ | Equations | ↗

$$y = 2x + 5$$

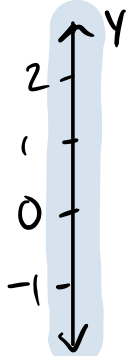
## Features of functions

**D<sub>2</sub>** the domain of a function is the set of all allowable values for the functions input.



- (D.)  $(-\infty, \infty)$
- (C.)  $[0, \infty)$
- (C.)  $(0, \infty)$

**D<sub>3</sub>** the range of a function is the set of allowable/attainable y values (outputs) of a function.



- $(-\infty, \infty)$
- $[0, \infty)$
- $(-\infty, 0) \cup (0, \infty)$

D4

the y-intercept is where our  
function crosses the y-axis,  
when  $x=0$   
 $(0, b)$

D5

the x-intercept(s) are where our  
function crosses the x-axis,  
when  $y=0$   
 $(r, 0)$